## NATIONAL DIPLOMA IN BUILDING TECHNOLOGY



# TECHNICAL DRAWING 

COURSE CODE: BLD 107

## YEAR I- SE MESTER I

THEORY/PRACTICAL

Version 1: December 2008

## WEEK 1 DRAWING EQUIPMENT

1.1 Equipment
1.2 Types of Lines
1.3 Application of Types

WEEK 2 DRAWING SCALES AND LETTING METHOD
2.1 Drawing Scales
2.2 Lettering Methods

## WEEK 3 CIRCLES AND POLYGONS

3.1 Circles
3.2 Properties of A Circle
3.3 Polygons

## WEEK 4 LOCI

4.1parabola
4.2 Hyperbola
4.3 Ellipse

WEEK 5 PROJECTION
5.1 Orthographic Projection
5.2 Multi views Projection
5.3 Differences Between First and Third Angle Projection

WEEK 6 ISOMETRIC AND OBLIQUE PROJECTIONS
6.1 Isometric Projections
6.2 Oblique Pictorial Projections

## WEEK 7 PERSPECTIVE DRAWING

7.1 One- Point Perspective
7.2 Two Point Perspective
7.3 Three-Point Perspective

WEEK 8 DIMENSIONS FOR TECHNICAL DRAWING
8.1 Types Of Dimensioning Techniques
8.2 Chain Dimensioning
8.3 Dimensioning Small Features
8.4 Dimensioning Circles
8.5 Dimensioning Radius
8.6 Simplified Dimensioning by Co-Ordinates
8.7 Arrangement of Dimensions

## WEEK 9 ABBREVIATIONS IN SYMBOLS USED IN MECHANICAL, ELECTRICAL AND BUILDING DRAWING

9.1 Technical Drawing Symbols
9.2 Conventional Symbols
9.3 Line and Block Diagrams

## WEEK 10 FREE HAND SKETCHING

### 10.1 General Notes Before Sketching

## WEEK 11 SKETCHING THE VIEW FROM AND ACTUAL OBJECT

### 11.1 Oblique Sketching

WEEK 12 THE MAIN FEATURES OF THE SIX VIEW OF AN OBJECT WEEK 13 MISSING VIEW
13.1 First Angle Projection
13.2 Third Angle of Projection

## WEEK 14 INTERSECTION OF SOLIDS

## WEEK 15 SURFACE DEVELOPMENT OF SOLIDS

15.1 Surface Development of Diagonal Box
15.2 Surface Development of a Hexagonal Box
15.3 Development of an Oblique Hexagonal Tube
15.4 Development of a Hexagonal Prism Cut By a Plan
15.5 Development of a Hexagonal Prism Cut By a Plane
15.6 Development of an Oblique Circular Tube
15.7 Development of a Cylindrical Cut By a Plane

## WEEK 1: DRAWING EQUIPMENT

## Introduction

Technical drawing is concerned mainly with using lines, circles, arcs etc., to illustrate general configuration of an object. It is a language of communication between architects and Engineers, usually to convey information about the object. However, it is very important that the drawing produced to be accurate and clear.

The ability to read and understand drawings is a skill that is very crucial for technical education students; this text aims at helping students to gain this skill in a simple and realistic way, and gradually progress through drawing and interpreting different level of engineering drawings.

### 1.1 Equipment

Some basic equipment is necessary in order to learn drawing effectively, here are the main ones.

## 0 T-square:

A T-square is a technical drawing instrument primarily used for drawing horizontal lines on a drafting table, it is also used to guide the triangle that is used to draw vertical lines. The name "T-square" comes from the general shape of the instrument where the horizontal member of the T (blade) slides on the side of the drafting table. Figure 1)

(Fig.1.1)

## o Set- square:

A set square or triangle is a tool used to draw straight vertical lines at a particular planar angle to a baseline. The most common form of Set Square is a triangular piece of transparent plastic with the centre removed. The outer edges are typically beveled. These set squares come in two forms, both right triangles: one with 90-45-45 degree angles, and the other with $90-60-30$ degree angles. Figure (1.2)

o Compass:

Compasses are usually made of metal, and consist of two parts connected by a hinge which can be adjusted. Typically one part has a spike at its end, and the other part a pencil. Circles can be made by pressing one leg of the compasses into the paper with the spike, putting the pencil on the paper, and moving the pencil around while keeping the hinge on the same angle. The radius of the circle can be adjusted by changing the angle of the hinge. Figure (1. 3)

(Fig.1.3)

(Fig.1.4)

(Fig.1. 5)

(Fig. 1.6)

## o Protractor:

The Protractor is a circular or semi-circular tool for measuring angles. The units of measurement used are degrees. Some protractors are simple half-discs. More advanced protractors usually have one or two swinging arms, which can be used to help measuring angles. Figure (1.6)

## o Drawing Pencil:

This is a hand-held instrument containing an interior strip of solid material that produces marks used to write and draw, usually on paper. The marking material is most commonly graphite, typically contained inside a wooden sheath. Mechanical pencils are nowadays more commonly used, especially 0.5 mm thick Figure (1. 7)

(Fig.1. 7)

## O Eraser:

Erasers are article of stationery that are used for removing pencil writings. Erasers have made of rubbery material, and they are often white. Typical erasers are made of rubber, but more expensive or specialized erasers can also contain vinyl, plastic, or gum-like materials. Figure (1. 8)

(Fig.1. 8)

### 1.2 Types of Lines:

Usually lines created are all of the same thickness and type, but lines on an engineering drawing signify more than just the geometry of the object, and it is important that appropriate line type is used in the right place, because each gives different meaning.

## o Line Thickness

For most engineering drawings two thicknesses of lines are mainly required, a thick and thin one. The general recommendations are that thick lines to be twice as thick as the thin lines.

A thick line is used for visible leader edges and outline
A thin line is used for hatching, lines, short centre lines, dimensions and projections.

## o Line Styles

Line styles are used to clarify important features on drawings, some examples are as shown below. Figure (1. 9)

(Fig.1. 9) - Line styles and types
Line styles are used to graphically represent physical objects, and each has its own meaning, these include the following:

- Visible lines - are continuous lines used to draw edges directly visible from a particular angle.
- Hidden lines- are short-dashed lines that may be used to represent edges that are not directly visible.


### 1.3 Application of Types of Lines


(Fig.1.10)

(Fig. 1.11)

## WEEK 2: DRAWING SCALES AND LETTERING METHODS

### 2.1 Drawing Scales

Generally, it is easier to produce and understand a drawing if it represents the true size of the object drawn. This is of course not always possible due to the size of the object to be drawn, that is why it is often necessary to draw enlargements of very small objects and reduce the drawing of very large ones, this is called "SCALE".

However, it is important when enlarging or reducing a drawing that all parts of the object are enlarged or reduced in the same ratio, so that the general configuration of the object is saved. Thus, scales are multiplying or dividing of dimensions of the object.

The scale is the ratio between the size represented on the drawing and the true size of the object.

Scale= Dimension to carry on the drawing $\div$ True Dimension of the object.

Examples:

1. $\quad$ Dimension carried on the drawing $=4 \mathrm{~mm}$.

True dimension $=40 \mathrm{~mm}$
Scale $=4 \div 40=1: 10$
2. Calculating drawing dimension of a line having a true dimension of 543 mm to a scale of $1 / 10$.

- If a true dimension of 10 mm is represented as 1 mm , a true dimension of 543mm is represented as X
- Then 10 mm ----------------- 1 mm

543 mm----------------> X mm

- We have $1 / 10=\mathrm{x} \div 543$ or $\mathrm{X}=54.3 \mathrm{~mm}$.

Therefore, a true dimension of 543 mm is represented to a scale of $1 / 10$ by a length of 54.3 mm .

$\bullet$ Knowledge of proposition and form of letters and the orders of the stroke.
$\bullet$ Knowledge of the composition the spacing of letters and words.

- Persistent practices.

Capital letters are preferred to lower case letters since they are easier to read on reduced size drawing prints although lower case letters are used where they from of a symbol or an abbreviation.

Attention is drawn the standard to the letters and characters. Table (2.1) below give the recommendation for minimum size on particular drawing sheets:

Table (2.1) Recommendations for minimum size of lettering on drawing sheets

| Application | Drawing Sheets Size | Minimum character height |
| :---: | :--- | :---: |
| Drawing numbers, etc. | A0, A1, A2 and A3 | 5 mm |
|  | A4 | 3 mm |
| Dimension and notes | A0 | 3.5 mm |
|  | A1, A2, A3 and A4 | 2.5 mm |

The spaces between lines of lettering should be consistent and preferably not less than half of the character height.

There are two fundamental methods of writing the graphic languages freehand and with instruments. The direction of pencil movements are shown in Figure. (2.2) and (2.3).

(Fig.2.2) Vertical Capital Letters and Numerals

(Fig.2.3) Vertical lower case letter

## Quiz Sheet (2):

1 Reproduce Figure (2.4) to a scale of 1:5.
2 Redraw Figure (2.5) to a scale of 3:1.


3
On a drawing sheet copy the following text in Figure (2.4) using the correct lettering methods:
THE IMPORTANCE OF GOOD LETTERING CANNOT BE
OVER-EMPHASIZED. THE LETTERING CAN MAKE OR
BREAK AN OTHERWISE GOOD DRAWING.-- -
PENCIL LETTERING SHOULD BE DONE WITH A FAIRLY
SOFT SHARP PENCIL AND SHOULD BE CLEAN-CUT
AND DARK. ACCENT THE ENDS OF THE STROKES.

## WEEK3: CIRCLES AND POLYGONS

### 3.1 Circles

## o Definition

A circle is a plane figure bounded by a curved line called the circumference, which is always equidistant from the centre.

### 3.2 PROPERTIES OF A CIRCLE

- A diameter is a straight line drawn through the centre meeting the circumference at both ends.
- A radius is a straight line drawn from the centre to the circumference.
- An arc is part of the circumference.
- A chord is any straight line drawn across the circle meeting the circumference at both ends.
- A tangent is a straight line which touches the circumference. It is always at right angles to the radius.
- A segment is part of a circle bounded by an arc and a chord.
- A sector is a part of a circle bounded by two radii and an arc.
- A quadrant is part of a circle bounded by two radii at right angles and an arc.
- Concentric circles are circles of the same centre but different radii
- Eccentric circles are circles of different centres

(Fig. 3.1)

(Fig. 3. 2 )


Fig. 3.3 Concentric Circles


Fig. (3.4 Eccentric Circles

### 3.3 Polygons

## o Definitions

A polygon is a plane figure bounded by more than four straight sides. Polygons are frequently referred to have particular names. Some of these are listed below

- A pentagon is a plane figure bounded by five sides
- A hexagon is a plane figure bounded by six sides
- A heptagon is a plane figure bounded by seven sides
- An octagon is a plane figure bounded by eight sides
- A nonagon is a plane figure bounded by nine sides
- A decagon is a plane figure bounded by ten sides.
- A regular polygon is one that has all its sides equal and therefore all its exterior angles equal and all its interior angles equal.
- The diameter of that circle is called the diameter of the polygon.
- The diagonal of a polygon is the distance from one corner to the corner furthest away from it.
o To construct a regular octagon given the diagonal, i.e. within a given circle Steps
- Draw the circle and insert a diameter AE.
- Construct another diagonal CG, perpendicular to the first diagonal.
- Bisect the four quadrants thus produced to cut the circle in B, D, F, and H.

ABCDEFGH is the required octagon.

(Fig. 3.3.)
o To construct a rectangular octagon; given the diameter, i.e, within a given square.

- Construct a square PQSR, length of side equal to the diameter.
- Draw the diagonals SQ and PR to intersect in T.
- With centres P, Q, R, and S draw four arcs, radius PT (=QT = RT=ST) to cut the square in A, B, C, D, E, F, G and H.
ABCDEFGH is the required octagon.


Fig.3.4
o To construct any given polygon; given the length of a side.
There are three fairly simple way of constructing a regular polygon. Two methods require a simple calculation and the third requires very careful construction if it is to be exact. All three methods are shown. The constructions work for any polygon, and a heptagon (seven sides) has been chosen to illustrate them

## Method 1

- Draw a line $A B$ equal in length to one of the sides and produce $A B$ to $P$.
- Calculate the exterior angle of the polygon by dividing $360^{0} / 7=513^{0} / 7$.
- Draw the exterior angle PBC so that $\mathrm{BC}=\mathrm{AB}$.
- Bisect AB and BC to intersect in O .
- Draw a circle, centre O and Radius $\mathrm{OA}(=\mathrm{OB}=\mathrm{OC})$.
- Step off the sides of the figure from C to $\mathrm{D}, \mathrm{D}$ to E , etc. ABCDEFG is required heptagon.

(Fig.3. 5)


## Method 2

- Draw a line AB equal in length to one of the sides
- From a, erect a semi -circle, radius AB to meet BA produced in P.
- Divide the semi circle into the same number of equal parts as the proposed polygon has sides. This may be done by trial and error or by calculation ( $180^{0} / 7=255^{0} / 7$ for each arc).
- Draw a line from A to point 2 (For all polygons). This forms a second side to the polygon.
- Bisect AB and A2 to intersect in O.
- With centre O draw a circle, radius $\mathrm{OB}(=\mathrm{OA}=\mathrm{O} 2)$.
- Step off the sides of the figure from B to C, C to D etc.

ABCDEFG is the required septagon.

(Fig.3. 6)

## Method 3

- Draw a line GA equal in length to one of the sides
- Bisect GA
- From A construct an angle of $45^{0}$ to intersect the bisector at point 4 .
- From G construct an angle of $60^{\circ}$ to intersect the bisector at point 6 .
- Bisect between points 4 and 6 to give point 5 .

Point 4 is the centre of the circle containing a square. Point 5 is the centre of a circle containing a pentagon. Point 6 is the centre of a circle containing a hexagon. By marking off points at similar distance the centres of circles containing any regular polygon can be obtained.

- Mark off point 7 so that 6 to $7=5$ to 6 ( $=4$ to 5 ).
- With centre at point 7 draw a circle, radius 7 to $\mathrm{A}(=7$ to G$)$.
- Step of the sides of the figure from $A$ to $B, B$ to $C$, etc. ABCDEFG is the required heptagon

(Fig.3. 7)
o To construct a regular polygon given a diagonal i.e. within a given circle
- Draw the given circle and insert a diameter AM.
- Divide the diameter into the same number of diversions as the polygon has sides.
- With centre M draw an arc, radius MA. With centre A draw another arc of the same radius to intersect the first arc in N .
- Draw N2 and produce to intersect the circle in B (for any polygon).
- $A B$ is the first side of the polygon. Step out the other sides $B C, C D$, etc.
- ABCDE is the required polygon.
- draw the given circumference AB
- Bisect AB in C.
- With centre C, and radius CA, Draw a semi - circle.
- With centre B and radius BC, draw an arc to cut the semi-circle in D.
- From D draw perpendicular to AB , to cut AB in E .
- With centre E and radius ED draw an arc to cut AB in F. AF is the required diameter. The rest of this chapter shows the construction for finding circles drawn to satisfy certain gain conditions.

(Fig. 3.8)


## Quiz Sheet (3):

1. Draw a polygon of any number of sides in the figure below.

(Fig.3.9)
2. Construct a nonagon and a heptagon on the same base of 45 mm using method 3 .

## WEEK (4) - LOCI

A locus (Plural loci) is the path traced out by a point which moves under given definite conditions or rules. You may not have been aware of it, but you have met loci many times before. One of the most common loci is that of a point which moves so that its distance from another fixed point remains constant: this produces a circle. Another locus that you know is that of a point which moves so that its distance from a line remains constant: this produces parallel lines.
The problems of loci can take several different forms. One important practical application in building is in the setting out of curves such as parabolic, hyperbolic and circular curves. Another important application of loci in engineering is finding the path traced out by points on mechanisms. This may be simply to see if there is sufficient clearance around a mechanism.

### 4.1 Parabola

This is the locus of a point which moves such that its distance from a fixed point called the focus bears a constant ratio usually equal to 1 to its perpendicular distance from a straight line called the directrix.

Figure 1 shows how to draw a parabola given the relative positions of the focus and the directrix. In this case the focus and directrix are 20 mm apart.
The first point to plot is the one that lies between the focus and the directrix. By definition it is the same distance, 10 mm , from both.

The condition of the locus is that it is always the same distance from the focus as it is from directrix. The parabola is therefore found by plotting the intersections of radii $15 \mathrm{~mm}, 20 \mathrm{~mm}$, 30 mm , etc. Centre on the focus, with lines drawn parallel to the directrix at distances 15 mm , $20 \mathrm{~mm}, 30 \mathrm{~mm}$, etc.

(Fig. 4.1)

### 4.2 Hyperbola

## o Definition

A hyperbola is the locus of a point which moves so that its distance from a fixed point (called the focus) bears a constant ratio, always greater than 1 , to its perpendicular distance from a straight line (called the directrix.
Figure 2 shows how to draw a hyperbola given the relative positions of the focus and the directrix (in this case 20 mm ) and the eccentricity (3/2)

The first point to plot is the one that lies between the focus and the directrix. This is done by dividing the distance between them in the same ratio as the eccentricity.3:2.

The condition for the locus is that it is always $2 / 3$ as far from the directrix as it is from the focus. Thus, if the point is 15 mm from the focus, it is $2 / 3 \times 15 \mathrm{~mm}$ from the directrix; if it is 20 mm from the focus, it is $2 / 3 \times 20 \mathrm{~mm}$ from the directrix. This is continued for as many points as may be required.

(Fig.4. 2)

### 4.3 Ellipse

## o Definition

An ellipse is the locus of a point which moves so that distance from a fixed point (called the focus) bears a constant ratio, always less than 1, to its perpendicular distance from a straight line called the directrix). An ellipse has two foci and two and two directrices. Figure 3 shows how to draw an ellipse given the relative positions of and the directrix, and the eccentricity. In this case the focus and the directrix are 20 mm apart and the eccentricity is $4 / 3$
The first point to plot is the one that lies between the focus and the directrix. This is done by dividing DF in the same ratio as the eccentricity 4:3. The other end of the ellipse, point is found by working out the simple algebraic sum shown on

The condition for the locus is that it is always $3 / 4$ as far from the focus as it is from the directrix. It is therefore $3 / 4$ as far from the directrix as it is from the focus. Thus. If the point is 30 mm from F , it is $40 \backslash 3 \mathrm{~mm}$ from the directrix; if the point is 20 mm from F , it is $3 / 4 \times 20 \mathrm{~mm}$ from the directrix; if the point is 30 mm from F, it is $3 / 4 \times 30 \mathrm{~mm}$ from the directrix. The intersections of radii drawn from F and line drawn parallel to the directrix, their distance from the directrix being proportional to the radii, give the outline of the ellipse. These points are joined together with a neat freehand curve.

(Fig.4. 3)

## Quiz Sheet 4

1 Draw a parabola by locus of a point method such that the distance between the focus and the directrix is 40 mm and the eccentricity is $1: 1$.
2 Draw a hyperbola by locus of a point method such that the distance between the focus and the directrix is 40 mm and the eccentricity is $2: 3$.
3 Draw an ellipse by locus of a point method such that the distance between the focus and the directrix is 40 mm and the eccentricity is $3: 2$.

## WEEK5: PROJECTIONS

The technique of representing an object in a drawn form is referred to as projection. Projection can be divided into pictorial (3- dimensional) projection and orthographic (2dimensional) projection. Pictorial projection is further divided into isometric, oblique and perspective projections; while the orthographic projection is divided into $1^{\text {st }}$ angle and $3^{\text {rd }}$ angle projection as shown in Figure (5.1).

(Fig.5. 1)
5.1 Orthographic projection is a means of representing a three-dimensional object Figure (5.1) in two dimensions (2D). It uses multiple views of the object, from points of view rotated about the object's center through increments of $90^{\circ}$.

The views are positioned relative to each other according to either of two schemes: firstAngle or third-Angle projection. In each, the appearances of views may be thought of as being projected onto planes that form a transparent "box" around the object. Figure (5.2) demonstrate the views of an object using $1^{\text {St }}$. Angle and $3^{\text {rd }}$. Angle projections.

(Fig 5.2)

Illustrating the difference between $1^{\text {st }}$. and $3^{\text {rd }}$. Angles projection


### 5.2 Multi views projection:

Multi views projection is a mean of producing the true shape and dimension of all details of three-dimensional object or two-dimensional plane surface such as tile drawing paper. For this reason, this method of projection is universally used for the production of working drawing, which is intended for manufacturing purposes.

(Fig.5. 5) Multi-views projection

In multi-views projection, the observer looks directly at each face of the object and draws what can be seen directly ( 90 Degree rays). Concretively, other sides are also seen and drawn in the same way Figure (5. 5).

Hence, there are two system of multi-views projection that is acceptable as British standard (Fig. 6), these are known as:
o First Angle ( $1^{\text {st }}$ Angle) or European projection.
o Third Angle ( ${ }^{\text {rd }}$ Angle) or American projection.

### 5.3 The Differences Between $1^{\text {st }} \& 3^{\text {rd }}$ Angle Projection

## o First-angle projection

In first-angle projection, each view of the object is projected in the direction (sense) of sight of the object, onto the interior walls of the box Figure (5.6).

(Fig. 5. 6)

A two-dimensional representation of the object is then created by "unfolding" the box, to view all of the interior walls Figure (5.7)

(Fig.5.7)

(Fig. 5.8)

## - Third-angle projection

In third-angle projection, each view of the object is projected opposite to the direction (sense) of sight, onto the (transparent) exterior walls of the box Figure (5. 9).

(Fig 5.9)

(Fig 5.10)

A two-dimensional representation of the object is then created by unfolding the box, to view all of the exterior walls Figure (5.10)

(Fig.5.11)

Before starting drawing the views of the component shown in Figure (5.12), it is necessary to decide the best Angle to project on the component; good decision will make the reading of
 of the views afterwards.
(Fig 5.12)

Also it is important to layout the drawing sheet so as to have a neat presentation at the end.

One of the common methods to layout the drawing sheet is shown through the following step (Let us assume that three views are needed):

- Identify the size of the drawing sheet after minimizing 10 mm from each side for the frame (A-3 in this case $=400 \times 277$ after framing).
- Draw in free hand on a scrap paper the location of the three views, and determine the area needed for each view (width and height) Figure (5.13).

(Fig.5.13)
Now, to determine the spacing between the views Figure (5.14), it is noticed that,
- Three equal spaces are horizontally situated.
- Three equal spaces are vertically situated.

(Fig 5.14)

Firstly, add the width of the front view to the width of the side view together. $\mathbf{1 0 0}+\mathbf{6 0}=$ 160 mm

- Subtract 160 mm from the net total width of the sheet $(400 \mathrm{~mm}) \mathbf{4 0 0} \mathbf{- 1 6 0} \mathbf{= \mathbf { 2 4 0 }} \mathbf{m m}$.
- Divided the reaming spaces into three equal spaces $240 \div 3=80 \mathrm{~mm}$ (horizontal spaces).
- Secondly, add the height of the front view to the height of the top view $\mathbf{7 0 + 6 0}=$ 130 mm .
- Subtract 130 mm from the net total height of the sheet ( 277 mm ). $\mathbf{2 7 7 - 1 3 0}=\mathbf{1 4 7} \mathbf{m m}$.
- Divide the reaming spaces into three equal spaces
$147 \div 3=49 \mathrm{~mm}$ (vertical spaces).
- Point the spaces by fine dotes on the A3 drawing sheet using T-square and the triangle $\left(90^{\circ}\right)$. Draw fine lines (construction lines) vertically and horizontally from marked dotes. This will result on drawing four areas, three of them to be used for drawing the three views of the component, and the forth area for drawing $45^{\circ}$ miter line Figure (5.15).

(Fig 5.15)
- Start drawing the views related to each other within the areas determined previously. Use fine line (construction lines)
- Check the final outlines of the three views, to make sure that they are complete and correct. Erase un-necessary lines, then heaving in the lines Figure (5.15).

(Fig.5.16)


## Quiz Sheet (6)

Fig.5. 17 and 18 show two (2) isometric pictorial drawing of components study the drawings and by using scale 1:1 and third angle of projection draw the following:

- Front view- Side view - Top view

(Fig. 5.17)

(Fig. 5.15)

Fig.(5.19) and 20 show two (2) isometric pictorial drawing of components study the drawings and by using scale 1:1 draw the following:

- Fig.(5.19) using $1^{\text {st }}$ angle of projection draw,

1- Front view 2 -Side view 3- Top view

(Fig.5.19)

- Fig.5. 20 using $3^{\text {rd }}$ angle of projection draw,

1- Front view 2-Side view 3 - Top view

(Fig.5.20)

## WEEK (6) - ISOMETRIC AND OBLIQUE PROJECTIONS

### 6.1 Isometric Projection

Isometric projection is a pictorial projection which gives a 3-dimentional impression of a drawn object in one view. Isometric projection has the advantage of communicating information about an object easily than orthographic projection as such it is preferred by laymen.

Figures (6.1) to (6.4) show four (4) isometric pictorial drawing of components, study the awn drawings and by using proper drawing tools and scale 1:1 re-draw the isometric pictorial drawings.

Note: All dimensions are in mm

(Fig 6.1)

(Fi६ (Fig.6.3)

(Fig 6.2)

(Fig 6.4)

### 6.2 Oblique Pictorial Projection

Oblique projection is another method of pictorial drawing. It is simpler than isometric but it does not present so realistic a picture.

Figure ( 6.5) shows a shaped block drawn in oblique projection.

There are three drawings of the same block in fig6.6. They all show the front face of the block drawn in the plane of the paper and the side and top faces receding at $30^{\circ}, 45^{\circ}$ and $60^{\circ}$ on the three drawings. An oblique line is one which is neither vertical nor horizontal, and the receding lines in oblique projection can be at any angle other than $0^{\circ}$ or $90^{\circ}$ as long as they remain parallel in any one drawing. In practice, it is usual to keep to the set square angles and of the three to choose from, $45^{\circ}$ is the most widely used.

If you check the measurement on the oblique drawings with those on the isometric sketch, you will find that the measurements on the front and oblique faces are all true lengths. This gives rise to a distorted effect. The drawings of the block in the oblique view appear to be cut out of proportion, particularly when compared with the isometric view.

(Fig. 6.5)

(Fig 6.6)

## QUIZ SHEET (6)

Figures (6.7) to (6.10) shows four (4) isometric pictorial drawing of components, study the drawings and by using proper drawing tools and scale 1:1 re-draw them in isometric projection.

## Note: All dimensions are in mm


(Fig 6.7)

(Fig. 6.9)

(Fig. 6.8)

(Fig. .10)

Figures (6.11) to (6.14) illustrate four (4) isometric pictorial drawing of components, study the drawing and by using scale $1: 1$ re-draw them in oblique projection of $30^{\circ}, 45^{\circ}$ and $60^{\circ}$.

Note: All dimensions are in mm

(Fig.6. 11)

(Fig .6.12)

(Fig.6.13)

## WEEK (7): PERSPECTIVE DRAWING

## Introduction

Perspective drawings are design drawings that convey more or less the actual appearance of the building or object and are therefore of considerable value in enabling layman to appreciate points of design which are not easily understood by them from autographic projections. There are a number of ways of setting up perspectives and the under laying theories are complex.

### 7.1 One Point Perspective:

Using one point perspective Figure (7.1), parallel lines converge to one point somewhere in the distance. This point is called the vanishing point (VP). This gives objects an impression of depth.

(Fig. 7.1)
The sides of an object diminish towards the vanishing point. All vertical and horizontal lines though are drawn with no perspective. i.e. face on.

One point perspective though is of limited use, the main problem being that the perspective is too pronounced for small products making them looking bigger than they actually are. Figure

(Fig. 7.2)

Although it is possible to sketch products in one point perspective, the perspective is too aggressive on the eye making products look bigger than they actually are. Figure (7. 3).

(Fig. 7.3)

### 7.2 Two Point Perspective

Two Points Perspective is a much more useful drawing system than the simpler One Point Perspective. Objects drawn in two point perspective have a more natural look Figure (7. 4).

(Fig.7.4)
In two point perspective the sides of the object vanish to one of two vanishing points on the horizon. Vertical lines in the object have no perspective applied to them.

By altering the proximity of the vanishing points to the object, you can make the object look big or small Figure (7.5).

(Fig. 7.5)

### 7.3 Three Point Perspective

Three points perspective is a development of two point's perspective. Like two point it has two vanishing points somewhere on the horizon. But three points perspective also has a vanishing point somewhere above or below the horizon which the vertical vanish to.

The nearer the vanishing point is to the object, the bigger the object looks. Look at these buildings Figure (7.6), all the vanishing points are too close. This has caused an excessive amount of vertical perspective. Learning how to apply vertical perspective is the key to making your drawings
 realistic.
(Fig7.6)

In general most designers create drawings w
ith a vanishing point far below the horizon so that the depth added to the verticals is only slight. In many cases the vanishing point is not even on the paper Figure (7.7). Learning how to apply vertical perspective will make your drawings more and more realistic.

(Fig. 7.7)

## WEEK (8): DIMENSIONS FOR TECHNICAL DRAWING

An engineering drawing must be properly dimensioned in order to convey the designer's intent to the end user. Dimensions provide the information needed to specify the size and location of every feature on the object.

A properly dimensioned drawing ensures that the part produced in the manufacturing phase matches the part asked for by designer. There are a few simple guidelines to be followed when dimensioning a drawing and these guidelines covers the majority of cases you will encounter.

A number of terms are used for illustrating dimensioning on the drawing, these include the following Fig. (8.1):

- Dimension line.
- Projection line.
- Dimension.
- Leader line.
- Dimensional notes.
- Auxiliary dimension.

(Fig.8.1)

The basic rules of dimensioning are:

- Distribute dimensions between the views.
- Keep the dimension line about 10 mm apart from the object.
- Do not repeat dimensioning same distance.
- If possible do not dimension hidden lines.
- Stagger dimensioning values.
- Create a logical arrangement of dimensions.


### 8.1 Types of Dimensioning techniques

- Parallel Dimensioning Parallel dimensioning consists of several dimensions originating from one projection line.

(Fig.8.2)


### 8.2 Chain Dimensioning

Chains of dimension should only be used if the function of the object would not be affected by the accumulation of the tolerances.

(Fig. 8.3)

### 8.3 Dimensioning Small Features

When dimensioning small features, placing the dimension arrow between projection lines may create a drawing which is difficult to read. In order to clarify dimensions on small features any of the above methods can be used.

(Fig. 8.4)

### 8.4 Dimensioning circles

All dimensions of circles are preceded by the symbol- $\varnothing$. There are several conventions used for dimensioning circles:
(a) Shows two common methods of dimensioning a circle. One method dimensions the circle between two lines projected from two diametrically opposite points. The second method dimensions the circle internally.
(b) Is used when the circle is too small for the dimension to be easily read if it was placed inside the circle. A leader line is used to display the dimension.
(c) The final method is to dimension the circle from outside the circle using an arrow which points directly towards the centre of the circle.

(Fig. 8.5)

### 8.5 Dimensioning Radius

All radial dimensions are preceded by the capital "R" - Fig. (8.6). All dimension arrows and lines should be drawn perpendicular to the radius so that the line passes through the centre of the arc. All dimensions should only have one arrowhead which should point to the line being dimensioned. There are two methods for dimensioning radii.

(Fig. 8.6)
(a) Shows a radius dimensioned with the centre of the radius located on the drawing.
(b) Shows how to dimension radii which do not need their centers locating.

### 8.6 Simplified dimensioning by co-ordinates

It is also possible to simplify Co-ordinate dimensions by using a table to identify features and positions. Figure (8.7). this method of dimensioning is mainly used in drawing by computers (CAD).

(Fig. 8.7)

(Fig. 8.8)

(Fig. 8.9)

(Fig 8.10)

(Fig. 8.11)

(Fig. 8.12)

(Fig. 8.13)

### 8.7 Arrangement of Dimensions

- Keep dimensions off the part to be dimensioned where possible.
- Arrange extension lines so the larger dimensions are outside of the smaller dimensions.
- Stagger the dimension value labels to ensure they are clearly defined.

(Fig. 8.14)

(Fig. 8.15)


## QUIZ SHEET (8) -

Add dimensions correctly to drawings in Fig. (8.16) to (8.19).

(Fig.8.16)

(Fig.8.18)

(Fig.8.17)

(Fig.8.19)

WEEK (9): ABBREVIATION AND SYMBOLS USED IN MECHINCAL ,
ELECTRICAL AND BUILDING DRAWINGS.

## Introduction:

There is a number of common engineering terms and expression, which are frequently replaced by abbreviation or symbols on drawing, to save space and drafting time. This will include the electrical, electronic, pneumatic and hydraulic symbols.

### 9.1 Technical Drawing symbols

| GENERAL SYMBOLS |  |  |
| :---: | :---: | :---: |
| CURRENT PRACTICE | ABBREVIATION IN NOTES | PARAMETER |
| $\varnothing$ | DIA | DIAMETER |
| S $\varnothing$ | SPHER DIA | SPHERICAL DIAMETER |
| R | R | RADIUS |
| CR | CR | CONTROLLED RADIUS |
| SR | SR | SPHERICAL RADIUS |
| - | CBORE or SFACE | COUNTERBORE SPOTFACE |
| $\checkmark$ | Csk | COUNTERSINK |
| $\downarrow$ | DP | DEEP |
| $\bigcirc$ | - | DIMENSION ORIGIN |
| $\square$ | SQ | SQUARE |
| ( ) | REF | REFERENCE |
| $\times$ | PL | PLACES, times |
| $\bigcirc$ | - | ARC LENGTH |
| $\square$ | - | SLOPE |
| $\square$ | - | CONICAL TAPER |
| Fig.9.1 |  |  |
|  |  |  |

### 9.2 Conventional Symbols:

There are many common engineering features which are difficult to draw in full. In order to save drafting time and spaces on drawing, these features are represented in simple conventional form as show in Figures (9.2),(9.3) and (9.4).

(Fig. 9.2) Mechanical Conventions

| \％ | camoas | ヶ－ | amexam |
| :---: | :---: | :---: | :---: |
| $\bigcirc$ | emome | － | mesa |
| $\stackrel{ }{+}$ | mom | \％-1 － | eas |
| $\stackrel{1}{\square}$ | momomeme | （7） | mamema |
| 历 | amesama | \％ | mameme |
| － | amem | （2） | momeme |
| －0－ | Mamemex | ${ }^{+}$ | ${ }^{\text {axa }}$ |
|  |  | $\stackrel{+}{4}$ | ${ }^{\text {mam}}$ |
| $\phi$ |  | （＊） | 边 |
| ${ }^{1}{ }^{\text {b }}{ }^{\text {d }}$ | max | Q | me |
|  |  | ＝0－ | memo |
|  | \％ | $\bigcirc$ | veasa |
| $3{ }^{29}$ | manem | ¢̛\％ | enesemex |
| 多 | exquasmo | －$\square$ ¢ | ${ }_{\text {cosemea }}$ |
| รี｜｜\％ | mesema | － | mameex |
| －－ | \％ | IIIN－ | \％Tm |

（Fig，9．3）Electrical Conventions

| TITLE | SYMBOL |
| :---: | :---: |
| 1. Brass/Bronze |  |
| 2. Glass | $\text { 旁 } / \text { 茦 }$ |
| 3. Glass Section |  |
| 4. Fibre bd |  |
| 5. Castiron |  |
| 6. White Metal Lead |  |
| 7. Loose Insulation |  |
| 8. Water | \|r-w |


| TITLE | SYMBOL |
| :---: | :---: |
| 9. Stone |  |
|  |  |
| 10. Partition block |  |
| 12. Herb |  |
| 13. Steel |  |
| 13. Marble Granite |  |
| or Natural stone |  |
| 14. Insulation |  |

(Fig. 9.4) Building Conventions

### 9.4 Line and Block Diagrams:

Engineering Diagrams usually indicate the only relative positions of inter-connected components or systems represented their relevant diagrams.

## o Block Diagram Method:

Block diagram indicates simple form as to functional system where a number of blocks represent the elements of that system- Figure 9.5.

(Fig. 9.5)Block diagram of an Audio Amplifier System

## o Line Diagram Method:


(Fig.9.6) Typical microphone pre - amplifier
The diagram disregarding indicates the standard symbols representing the functional components and connection their physical size or position.

## o Pneumatic System:

The pneumatic system is a mechanical system that uses pressurized gas (usually air) to perform various kinds of control processes.

(Fig. 9.7) Air Pump

The pneumatic system consist of pressure generator set, pressure actuated component like (cylinder \& vales).

The use of pneumatic system has been come very popular especially in the food industry for in easy maintenance and running cost.

## o Hydraulic system:

The hydraulic system kinds of control processes Fig. (9.8). The pressurized liquid in a hydraulic
 circulates I close loop.
(Fig. 9.8) Hydraulic Jack

(Fig. 9.9) Pneumatic Symbols

## Quiz Sheet (9)

1) The drawing in Figure (9.10) illustrates assembled mechanical parts, study the drawing then fill the table 9.1 accordingly.

(Fig.9.10)

Table 9.1

| 1 |  | 5 |  |
| :--- | :--- | :--- | :--- |
| 2 |  | 6 |  |
| 3 |  | 7 |  |
| 4 |  | 8 |  |

2) The drawing in Figure (9.11) illustrates a pneumatic/Hydraulic diagram, study the drawing then fill the table 9.2 accordingly.


Table 9.2

| 1 |  | 5 |  |
| :--- | :--- | :--- | :--- |
| 2 |  | 6 |  |
| 3 |  | 7 |  |
| 4 |  | 8 |  |

3) The drawing in Figure (9.12) illustrates an electrical circuit, study the drawing and then fill the table 9.3 accordingly.

(Figure 9.12)

Table 9.3

| 1 |  | 5 |  |
| :--- | :--- | :--- | :--- |
| 2 |  | 6 |  |
| 3 |  | 7 |  |
| 4 |  | 8 |  |

## WEEK (10): FREEHAND SKETCHING

## Introduction:

Free-hand sketching is used extensively during the early design phases as an important tool for conveying ideas, guiding the thought process, and serving as documentation. Unfortunately there is little computer support for sketching. The first step in building a sketch understanding system is generating more meaningful descriptions of free-hand.

One of the advantages of freehand sketching is it require only few simple items such as

- Pencil (soft pencil i.e. HB).
- $\quad$ Paper (A3 \& A4).
- Eraser.

(Fig. 10.1) Clipboard

When sketches are made on the field, where an accurate record is required, a sketching pad with clipboard are frequently used Figure (10.1). Often clipboard is employed to hold the paper.

### 10.1 General Notes Before Sketching:

- The pencil should be held naturally, about 40 mm from general direction of the line down.
- Place the paper rotated position so the horizontal edge is perpendicular to the natural position of your forearm.
- When ruled paper is being used for sketching try to locate the sketched line on ruling line Use your imagination and common sense when choosing the most suitable angle of view. Figures 10.2 to 10.7 are the demonstration of different sketching techniques of lines and shapes.

(Fig.10.2) Sketching Technique of horizontal lines

(Fig. 10.3) Demonstration of the sketching technique of horizontal and vertical lines

(Figure 10.4) Demonstration of sketching technique of a circle

(Fig.10.4) Demonstration the sketching technique of an arc

(Fig.10. 5) Demonstration the sketching technique of an ellipse

(Fig. 10.6) Demonstration of the sketching technique of a circle drawn in isometric projection


## Quiz Sheet (10)

1) Use A4 sheet with a pencil and try to draw the lines as shown in Figure. (10.7).

(Fig.10.7)
Use A4 sheet with a pencil and try to draw the component shown in Figure (10.8).

(Fig.10.8)

## WEEK11: SKETCHING THE VIEWS FROM AN ACTUAL OBJECT

## Introduction:

In industry a complete and clear description of the shape and size of an object is necessary to be able to make it. In order to provide all dimensions and information clearly and accurately a number of views are used. To sketch these views from an actual object the following steps should be followed:

- Look at the object carefully and choose the right position that shows the best three main views (Figure 11.1).

according to the projection method ( $1^{\text {st }}$ or $3^{\text {rd }}$ angle) chosen.
- Hold the object, keeping the front view toward you Figure (11.2), and then start sketching the front view.
(Fig.11.2)
- To get the top view,

revolve the object so as to bring the top toward you, then sketch the top view Figure (11.3).
(Fig. 11.3)
- To get the right

revolve the object so as to position relative to the sketch the side view

side view, bring the side view in front view, and then Figure (11. 4)
- Make sure the relationships bi
(Fig. 11. 4) s are carried out correctly Figure (11.5)

(Fig.11.5)


### 11.1 Oblique Sketching:

Another method for pictorial is sketching the oblique sketching. To made an oblique sketch from an actual object follow these steps:

- Hold the object vertically, making sure most circular features in front of you

(Fig.11.6)
- Sketch the front face of the object in suitable proportional dimensions Figure (11.7).

(Fig.11.7)
- Sketch the receding lines parallel to each other or a convenient angle between ( $30^{\circ}$ $45^{\circ}$ ) with horizontal, these lines may in full length to sketch a caviller oblique or may be one half sizes to sketch cabinet oblique.

(Fig.11.8)
- Complete the required sketch as explained for isometric sketch previously.

(Fig.11.9)


## Quiz Sheet 11

Fig. (11.10) shows an isometric pictorial drawing of component, study the drawing and then using scale 1:1 draw the following:

- An isometric pictorial drawing (freehand).
- The following views (freehand).
- A front view.
- Side view.
- Top view.


## Note: All dimensions are in mm

- 



Fig. 11

WEEK (12) - THE MAIN FEATURES OF THE SIX VIEWS OF AN OBJECT

## Introduction

Any object can be viewed from six mutually perpendicular directions, as shown in Figure (12.1) below. Thus, six views may be drawn if necessary. These six views are always arranged as shown below, which the American National Standard arrangement of views. The top, front, and bottom views line up vertically, while the rear, left-side, front, and right-side views line up horizontally.

(Fig. 12.1) Demonstration of the six views of an object

(Fig. 12.2) The six views of an object

If the front view is imagined to be the object itself, the right-side view is obtained by looking toward the right side of the front view, as shown by the arrow RS. Likewise, if the right-side view is imagined to be the object, the front view is obtained by looking toward the left side of the right-side view, as shown by the arrow F .

The same relation exists between any two adjacent views. Obviously, the six views may be obtained either by shifting the object with respect to the observer, as we have seen, or by shifting the observer with respect to the object Figure (12.2).

## Quiz Sheet (12)

Figures (3 to 6) shown are isometric pictorial drawings for a number of components, study the drawing and using $1^{\text {st }}$ and $3^{\text {rd }}$ angle of projection with scale of 1:1 draw the following:

- A front view in direction "A".
- Side view in direction "B".
- Top view in direction "C".

Note: All dimensions are in mm

(Fig. 12.3)

(Fig. 12.5)

(Fig. 12.4)

(Fig. 12.6)

## WEEK13: MISSING VIEW

## Introduction

In orthographic projection, the object has principle dimensions, width, height, and depth which are fixed terms used for dimensions of the three views.

Note that the front view shows only the height and width of the object, the top view shows the depth and width only. In fact, any one view of three-dimensional object can show only two dimensions, the third dimension will be found in an adjacent view Figure (13.1).

angle or projection (1" or ${ }^{*}$ ").

- The same relation exists between front and side view, same height.
- The side view is placed directly right or left to the front view, (right side view or left side view).


### 13.1 First Angle Projection:

The Figure (13.2) is a pictorial drawing of given object, three-views of which are required using first angle of projection. Each corner of the object is given a number as shown. At I the top view and the front view are shown, with each corner properly numbered in both views. Each number appears twice, once in the top view and again front view.


Figures (13.3) to (13.6) show the dimensional relationship between the different views of an object.

(Fig 13.3)

(Fig 13.5)

(Fig 13.6)

## Quiz Sheet (13)

1. Figures ( 13.7 to 13.10 ) show isometric pictorial drawing of a number of components. Study the drawing and using $1^{\text {st }}$ and $3^{\text {rd }}$ angle of projection and a scale of $1: 1$ draw the missing view of each of the following: (hint; teacher should draw any two views while the students should draw the missing view)

Note: All dimensions are in $\mathbf{m m}$

2. Complete the drawing shown in Figure (13.11) to produce the third missing view


## WEEK14: INTERSECTION OF SOLIDS

## Introduction

When two solids interpenetrate, a line of intersection is formed. It is sometimes necessary to know the exact shape of this line, usually so that an accurate development of either or both of the solids can be drawn. This module shows the line of intersection formed when some of the simple geometric solids interpenetrate.

## o Two Dissimilar Square Prisms Meeting At Right Angles (Figure14. 1)

The E.E. shows where corners 1 and 3 meet the larger prism and these are projected across to the F.E .the plan this is projected up to the F.E.

(Fig 14.1)

(Fig 14.2)

## o Two dissimilar square prisms meeting at an angle Figure (14. 2)

The F.E shows where corner 1 and 3 meet the larger prism. The plan shows corner 2 and 4 meeting the larger prism and this is projected down to the F.E.

## o A hexagonal prism meeting a square prism at right angle Figure (14. 3)

The plan shows where all the corners of the hexagonal prism meet the square prism. These are projected down to the F.E. to meet the projectors from the same corners on the E.E.

(Fig 14.3)

(Fig. 14.4)
0
o Two dissimilar hexagonal prisms meeting at an angle Figure (14.4)
The F.E shows where corners 3 and 6 meet the larger prism. The plan shows where corner 1, 2,4 and 5 meet the larger prism and these are projected up to the ${ }^{\ulcorner }$.

## Quiz Sheet 14

Figure 5 shows two dissimilar cylinders meeting at right angle, determine the line of intersection of the two solids showing the plan and side elevation in third angle projection.

(Fig. 14.5)

Figure 14.6 shows two dissimilar cylinder meeting at angle $30^{\circ}$ to the horizontal. Determine the line of intersection of the two solids show the plan side elevation in first angle projection.

(Fig 14.6)

## WEEK 15: SURFACE DEVELOPMENT OF SOLIDS

## Introduction

The process of unfolding a three-dimensional 'solid' is called development.
The shapes of most engineering components are whole or parts of prisms, pyramids, cylinders or cones and so this module deals with the development of the shapes

### 15.1 Surface Development of a Closed Box

Figure (15.1) shows an isometric drawing of a closed box in the shape of a cube, while the diagram at (b) is a drawing of the box showing the labeled sides prior to joining; (c) is the development or pattern of the box laid out as a flat sheet. Following the system of labeling at (b) the position of the sides in the flat sheet are as indicated. The chain - dotted lines are the bend lines between the six sides.

It is intended that the edges of this box should be joined by soldering. In order to make the box very secure extra material could be left on adjoining sides to form tags. These would give an additional area of solder and the joints would be stronger. The shape of a typical tag is shown chain dotted on the outer edge of side (d).

It will be noted that the side pieces E and F in the development could be position adjoining any of the other sides and they need not be opposite one another.

### 15.2 Surface Development of a Hexagonal Tin

Figure (15.2a) is an isometric drawing of a hexagonal part made in thin metal. The development is shown in diagram Figure (15.2b). Notice that the sides of the part are formed from rectangles having one side length equal to the side length of the hexagon.

The hexagon ends can be positioned adjoining any of the side rectangles.
Assuming that both of these examples were concerned with solid figures instead of hollow ones the method of developing the surfaces, neglecting the thickness of the metal, would be exactly the same.

(Fig.15.1)

(Fig. 15.2)

(Fig. 15.4)
$\begin{array}{ll}3_{1} 4_{1} & 5_{1} \\ & \text { (Fig.15.5) }\end{array}$
Fig. 2

### 15.3 Development of an Oblique Hexagonal Tube

Figure (15. 3a) is an oblique drawing of a tube having a hexagonal section. The edge lines of the tube are numbered from 0 to 5 , and the width of the flat strips making up the tube is a.

Figure (15. 3b) shows the development of the tube, the join line being that numbered 0 . As length of the tube is $L$, the development consists of six equal rectangles of length $L$ and width a. the fold lines are indicated by the appropriate edge line number and by chain - dotted line.

### 15.4 Development of a Hexagonal Prism cut by a Plane

Figure (15.4) shows a hexagonal prism cut by a plane CP at any convenient angle. It is required to produce a development of the six faces of the complete prism, and also the effect of the cutting plane this development surface.
Draw the prism in plan and elevation, numbering the six base corners as shown in plan.
Imagining the figure to consist of a very thin film, marked with six equally spaced lines at each edge, it is intended to cut along edge line $\mathrm{PO}_{1}$ in elevation and open out the film to form a flat figure.

Draw line $\mathrm{X}_{1} \mathrm{X}_{1}$ equal in length to the perimeter of the hexagon and project the height of the prism from the elevation, to give the rectangle $\mathrm{X}_{1} \mathrm{X}_{1} \mathrm{O}_{1} \mathrm{O}_{1}$.

Draw vertical divisions to represent the corners of the hexagon and number as shown. This gives a development drawing of the complete prism. Draw the cutting plane CP at any convenient angle on the elevation. The intersections of CP and the hexagonal corners may now be projected on to the appropriate vertical lines on the development drawing, to give the required developed surface of the prism.

### 15.5 Development of a Hexagonal Prism cut by a Cranked Plane

Figure (15.5) shows another hexagonal prism cut by a cranked plane $\mathrm{CC}_{1} \mathrm{P}_{1}$. For the purpose of division the elevation shares the plan drawn for Figure (15.5). The method of setting out the development is as previously described.
Note in both of these latter drawings the base are included as part of the development. The hexagon can be positioned on any face of the development, and its geometry will coincide with the plan view.

It is often useful to draw these developments on cartridge paper, or thin card, and then cut out and fold them into the shapes from which the developments were derived. Transparent advice tape can be used to hold the folded sheet in place. This exercise will underlined the need for accuracy in drawing, the use of bend lines and the reasons for choosing the shortest length as the join line.

### 15.6 Development of an Oblique Circular Tube

Figure (15. 6a) is an oblique drawing of a circular tube, divided around its circumference into twelve equal and numbered parts. From each numbered points, chain - dotted generator are marked along the length of the cylinder. Figure (15. 6b) is the development of the tube, produced by cutting along the generator at 0 and opening out a sheet metal until it is flat. The developed sheet is a rectangle whose length is equal to circumference of cylinder and whose width is L the length of the tube.

### 15.7 Development of a Cylinder Cut by a plane

Figure (15.7) shows a cylinder cut by a plane CP at any convenient angle. It is required to produce a development of the curved surface and the base of the cylinder. Draw the required plan and elevation. Divide the plan into any convenient number of equal parts, and project these on to the elevation as generator.

Figure (15.8) shows another cylinder cut by a cranked plane CP. The plan projections are obtained from Figure (15.7) and the method of setting out the development is as previously described.

(Fig. 15. 6)

(Fig. 15.
(Fig. 15.8)

## Quiz Sheet 15



Figure (15. 9) is a truncated rectangular based pyramid. Develop the figure

